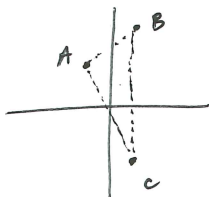


CO-C10b

Practice Assessment

$x_1, y_1, x_2, y_2, x_3, y_3$

1. Find the coordinates of the centroid of triangle ABC with vertices located at A(-2,3) B(1,5) and C(2,-4)

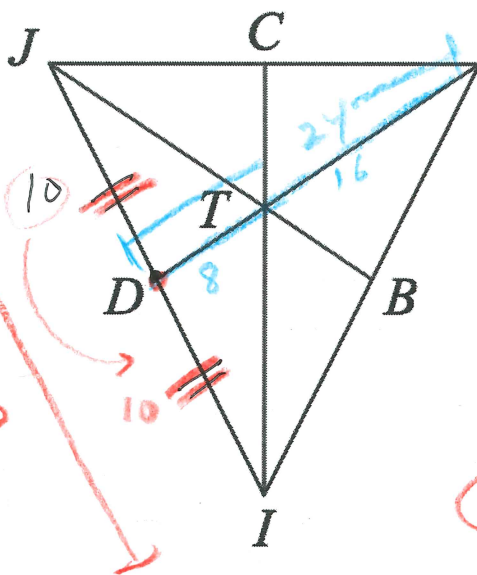


"midpoint" of Δ
 \rightarrow "average" $\rightarrow \left(\frac{x_1 + x_2 + x_3}{3}, \frac{y_1 + y_2 + y_3}{3} \right)$

$$\left(\frac{-2 + 1 + 2}{3}, \frac{3 + 5 + (-4)}{3} \right)$$

$$\left(\frac{1}{3}, \frac{4}{3} \right)$$

2. JB, HD, and IC are medians of ΔJHI . If $DH=24$ and $JD=10$, find the lengths of DT and JI.



cross @ centroid
 centroid splits into 2:1 ratio
 median connects vertex to midpoint

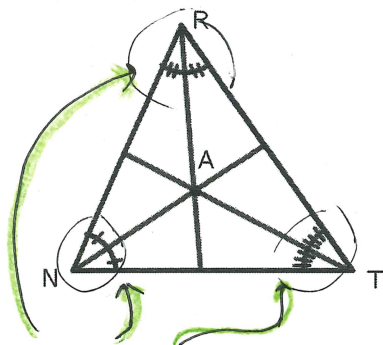
$$\frac{24}{3} = 8 \quad \therefore \quad DH = 8 + 2 \cdot 8 = 24$$

8 + 16
short ↑ long ↑

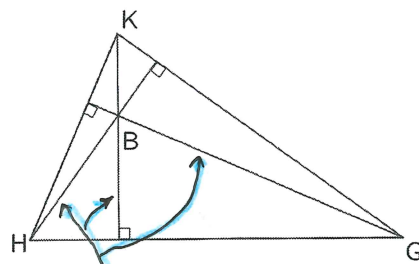
$DT = 8$

$JI = 20$

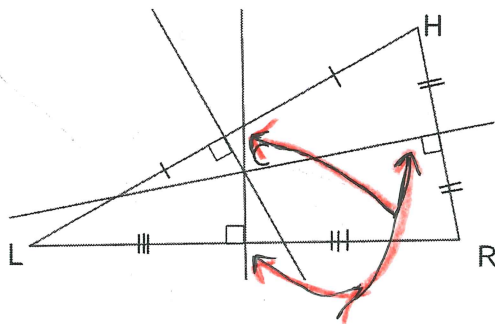
3. Identify which points among A, B, and C are the the orthocenter, circumcenter, and incenter. Explain how you know for each classification.



Angles are being bisected,
 so these are Angle Bisectors.
 they cross @ the
incenter



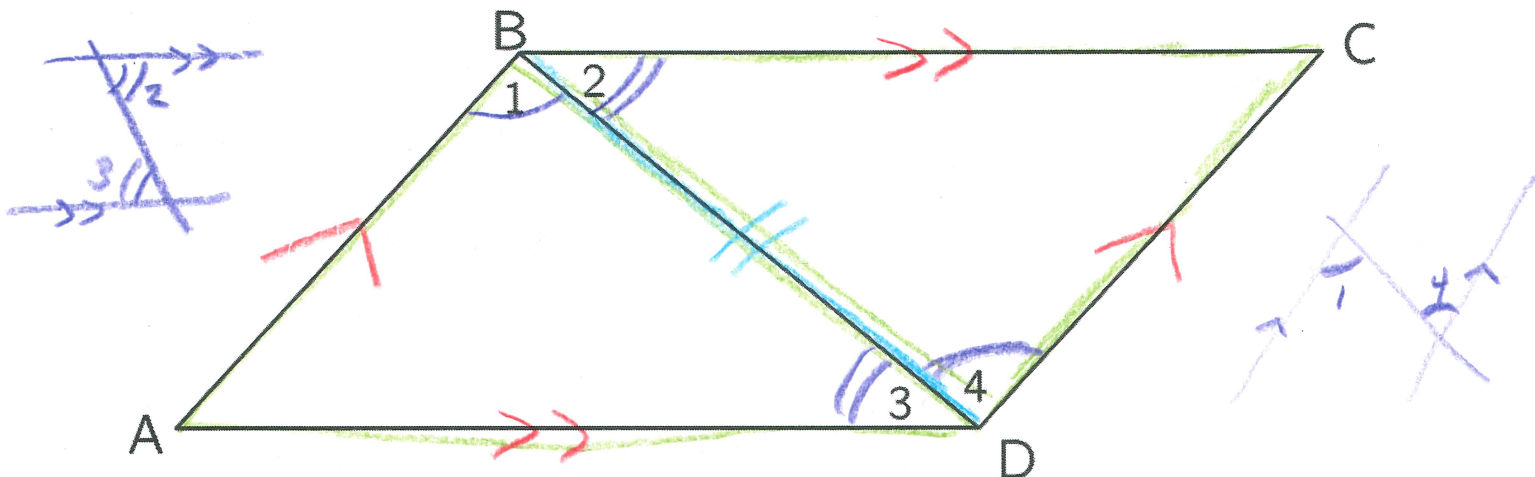
these are altitudes,
 so B
 must
 be
 the
orthocenter



these lines cross
 the midpoints @ 90° so
 they are perpendicular
 bisectors,
 which cross @ the
circumcenter

SRT-B5b

Complete the proof using the choices provided. Use as many steps as needed.



GIVEN: $\overline{AB} \parallel \overline{CD}$ and $\overline{BC} \parallel \overline{DA}$

PROVE: $\overline{AB} \cong \overline{CD}$

Statements

Reasons

1. $\overline{AB} \parallel \overline{CD}$ and $\overline{BC} \parallel \overline{DA}$

1. Given

2. $\overline{DB} \cong \overline{BD}$

2. Reflexive Property

3. $\angle 1 \cong \angle 4$ and $\angle 2 \cong \angle 3$

3. Alternate Int. Angles

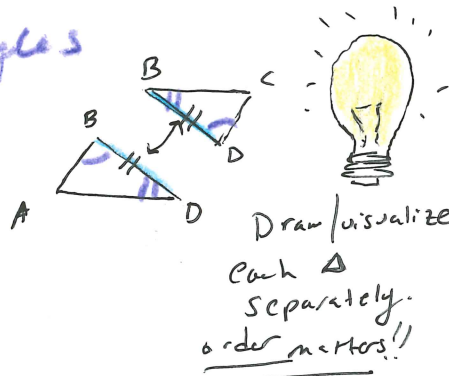
4. $\triangle ABD \cong \triangle CDB$

4. ASA

5. $\overline{AB} \cong \overline{CD}$

5. CPCTC

Q.E.D.



Choices:

Vertical Angles

Alternate Interior Angles

ASA

AAS

SSS

HL

Reflexive Property

$\angle 1 \cong \angle 2$ and $\angle 3 \cong \angle 4$

$\angle 1 \cong \angle 4$ and $\angle 2 \cong \angle 3$

Def of bisect

$\overline{DB} \cong \overline{BD}$

$\angle A \cong \angle C$

$\overline{AB} \cong \overline{CD}$

$\triangle ABD \cong \triangle CDB$

$\triangle BDA \cong \triangle BDC$

CPCTC

AAA

SSA

Never going to be used!



Note Wrong order