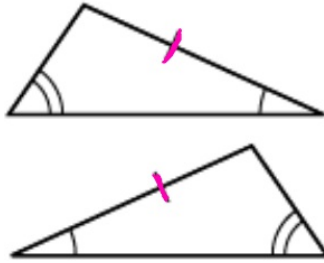


Test prep: p. 153: 11-14

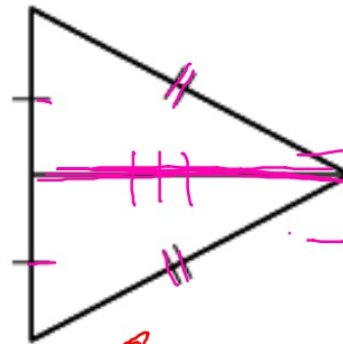
11



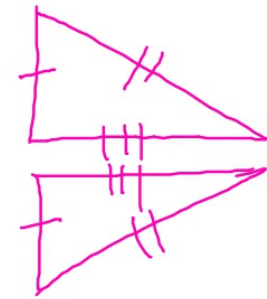
AAS

~~ASA~~

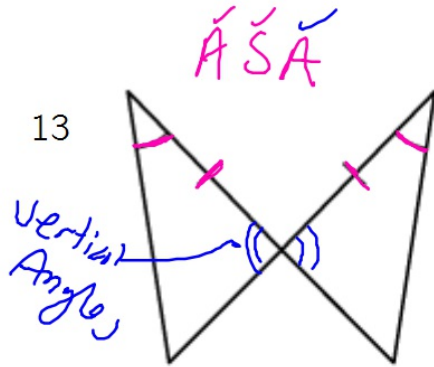
12



SSS



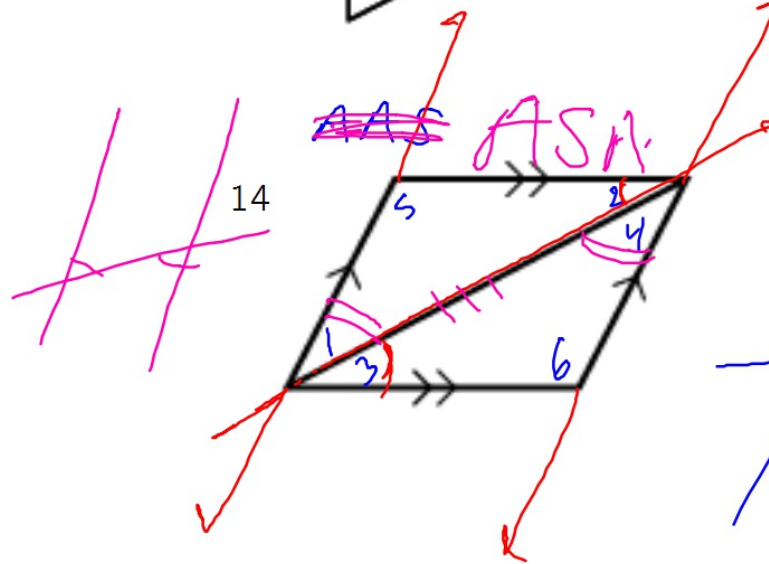
13



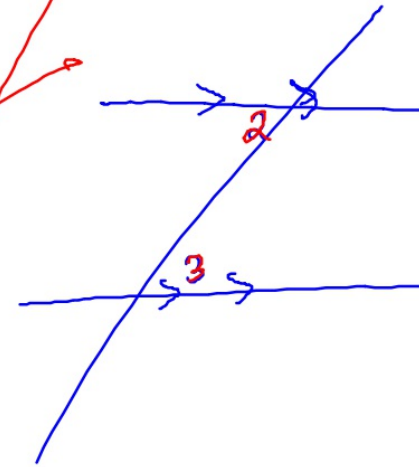
ASA

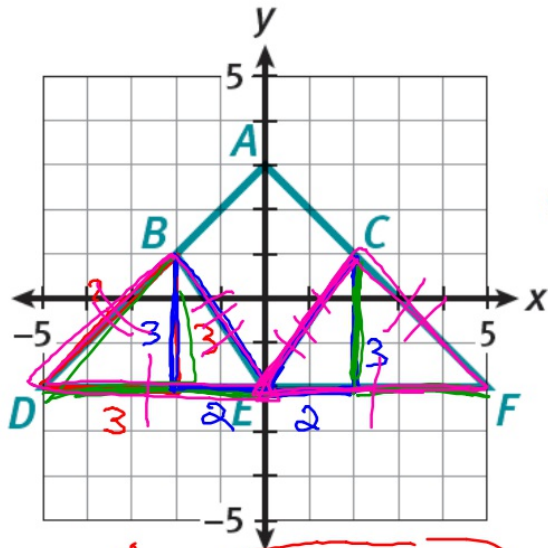
Vertical  
Angles

14



~~AAS~~ ASA





BD  $\sqrt{18} = 3\sqrt{2} \approx 4.24$

DE 5

BE  $\sqrt{13} \approx 3.6$

CF 4.24

FE 5

CE = 3.6

SSS



$a^2 + b^2 = c^2$

$3^2 + 3^2 = c^2$

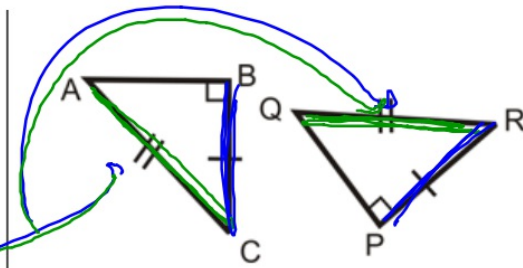
$\sqrt{18} = \sqrt{c^2}$

$\approx 4.24$

## Get out your foldable please

A pair of hypotenuses and a pair of legs in 2 right triangles

HL guarantees congruence  
(Right Triangles Only)



Pythagorean theorem:

- Hypotenuse: the side across from  $90^\circ$  in a rt.  $\Delta$ .
- Leg: a non-hypotenuse side

Why do all triangles' angles add up to  $180^\circ$ ?

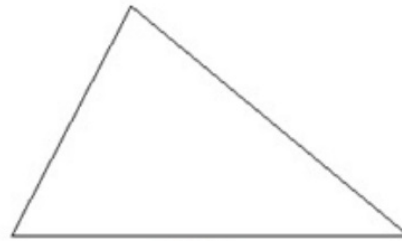
Types of Triangles



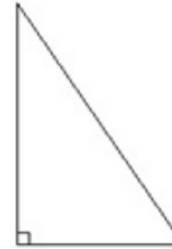
Equilateral



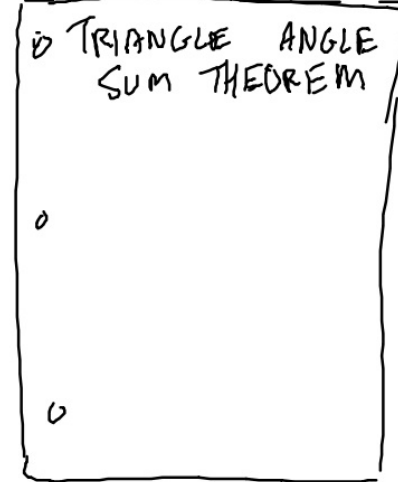
Isosceles



Scalene

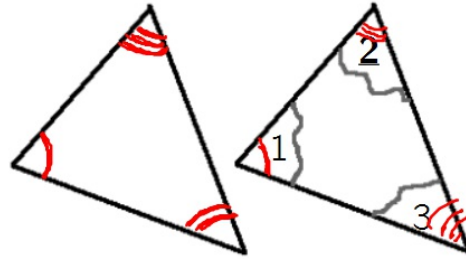


Right



- Blank paper
- Const. paper
- Scissors
- glue
- ruler

1. On construction paper, use a ruler and draw, then cut out a triangle. Place the scraps in the recycling bin.
2. Mark the angles with little stripes to show their vertices.
3. Label the three angles of the triangle 1, 2, and 3 (doesn't matter which goes where). Put the number close to the vertex of the angle.



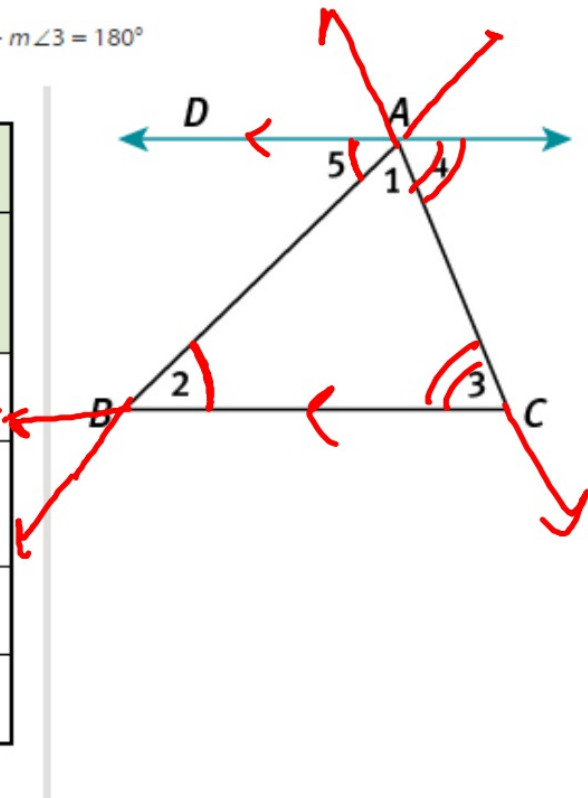
3. Carefully tear the angles/corners off the triangle, being sure the number is visible on the torn sections.
4. Arrange the 3 pieces together. What do you notice?

Formal proof: p. 182 #6

Given:  $\triangle ABC$

Prove:  $m\angle 2 + m\angle 1 + m\angle 3 = 180^\circ$

Statements	Reasons
1. Through point A, draw $\overleftrightarrow{AD}$ , so that $\overleftrightarrow{AD} \parallel \overleftrightarrow{BC}$ .	1. Parallel Postulate
2. $m\angle 5 + m\angle 1 + m\angle 4 = 180^\circ$	2. Supplementary Angles
$\angle 2 \cong \angle 5$ $\angle 3 \cong \angle 4$ 3.	3. If parallel lines are cut by a transversal, then alternate interior angles are congruent.
$m\angle 2 = m\angle 5$ , $m\angle 3 = m\angle 4$ 4.	4. Definition of congruent angles
$m\angle 2 + \angle 1 + m\angle 3 = 180^\circ$ 5.	5. Substitution Property



Do triangles ever NOT total  $180^\circ$ ? YES, but only if you assume parallel lines can cross (!?!)

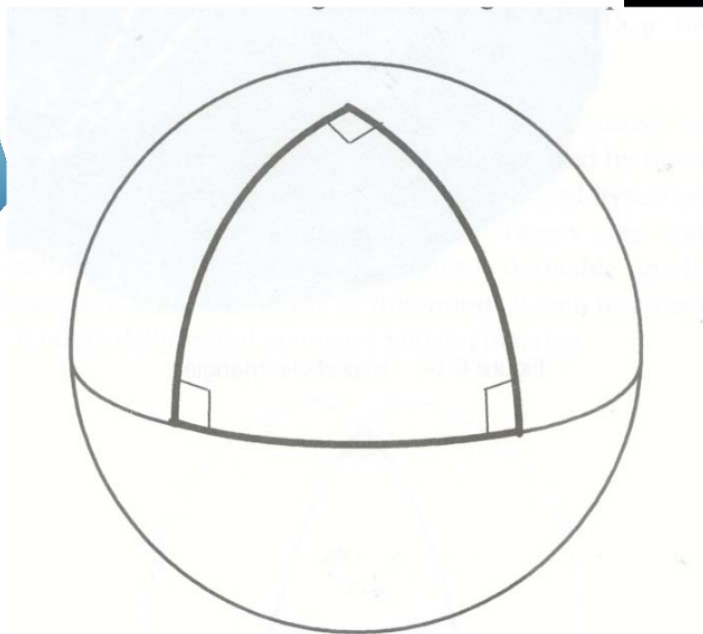
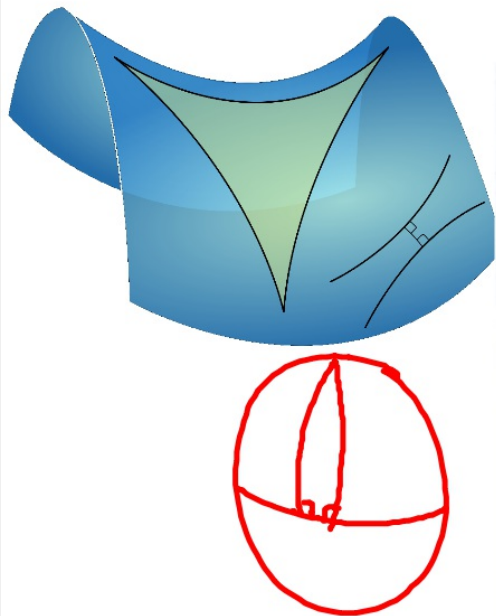
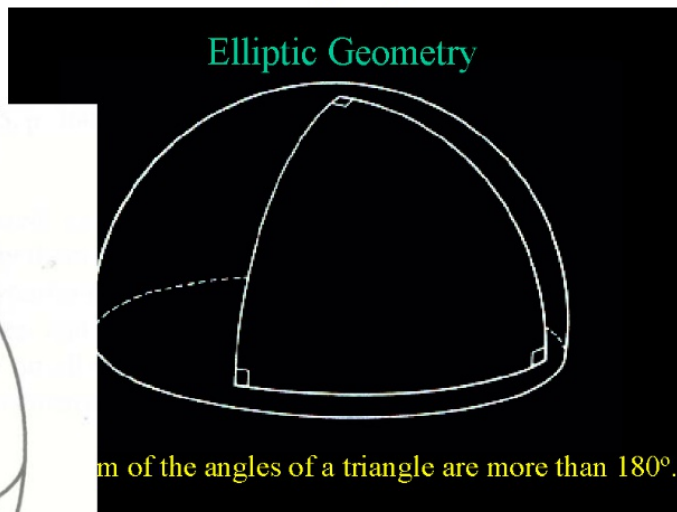


Figure 6.13 Triple-right triangle on a sphere



Homework: Finish worksheet handed out Monday (12 proof problems)