$\operatorname{CO-A3b}$

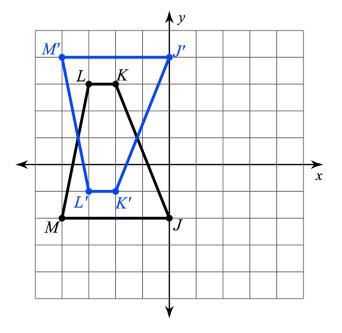
Practice Assessment

- Given is a regular octagon. After a counterclockwise rotation of 225° about point O, to what point will E be carried onto?
- 2. Draw all lines over which a reflection would carry the trapezoid onto itself.

3. Draw a quadrilateral with no lines of reflectional symmetry.

 $\operatorname{CO-A5b}$

- 4. Write the equation of the line of reflection.
- 5. Translate J'K'L'M' along vector <3,-1>.



B

E

C

D

Α

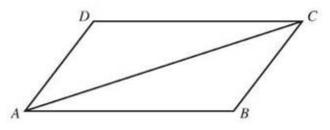
Ο

Η

G

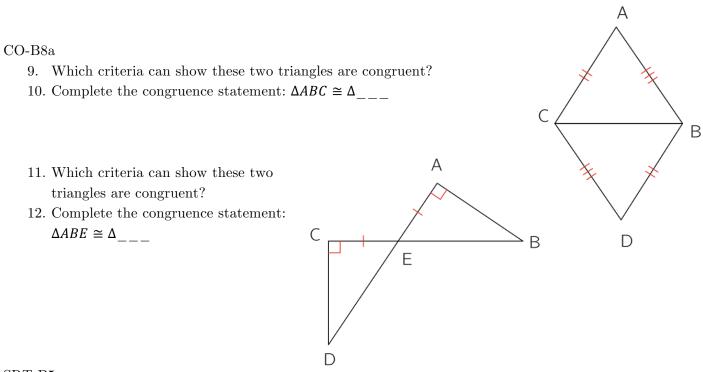
$\operatorname{CO-B6b}$

- 6. Which of the following transformations would carry $\triangle ADC$ onto $\triangle CBA$? Mark ALL that apply.
 - [] Reflection across \overline{AC}
 - [] Translation along \overrightarrow{AC}
 - [] Rotation clockwise around point A
 - [] Rotation clockwise around midpoint of \overline{AC}



CO-B7a

- 7. Given $\triangle ADS \cong \triangle FOL$. $\angle A = 70^{\circ}, \angle O = 35^{\circ}$. Find the measure of $\angle L$.
- 8. Given $\triangle ABC \cong \triangle PSL$, AB=15, SL=4x-4, PL = 10, and BC=12. Find the value of x and find the perimeter of $\triangle PSL$.



SRT-B5a

13. Complete the proof using the statements and reasons provided. Not all can nor will be used. **GIVEN**: $\overline{CD} \parallel \overline{EB}, \overline{DA} \cong \overline{BA}$

PROVE: $\triangle ACD \cong \triangle AEB$

Statements	Reasons	
1. $\overline{CD} \parallel \overline{EB}, \overline{DA} \cong \overline{BA}$	1.	A H
2.	2.	E
3. $\angle DAC \cong \angle BAE$	3.	HH-
4. $\triangle ACD \cong \triangle AEB$	4.	D
Choices:		

В

SSS	SAS	AAS	SSA	Given	Vertical Angles	Alternate Interior Angles
Prove	$\angle C \cong \angle E \qquad \qquad \overline{CD} \cong$		$\overline{CD} \cong \overline{EB}$	Reflexive Property		$\overline{CA} \cong \overline{EA}$