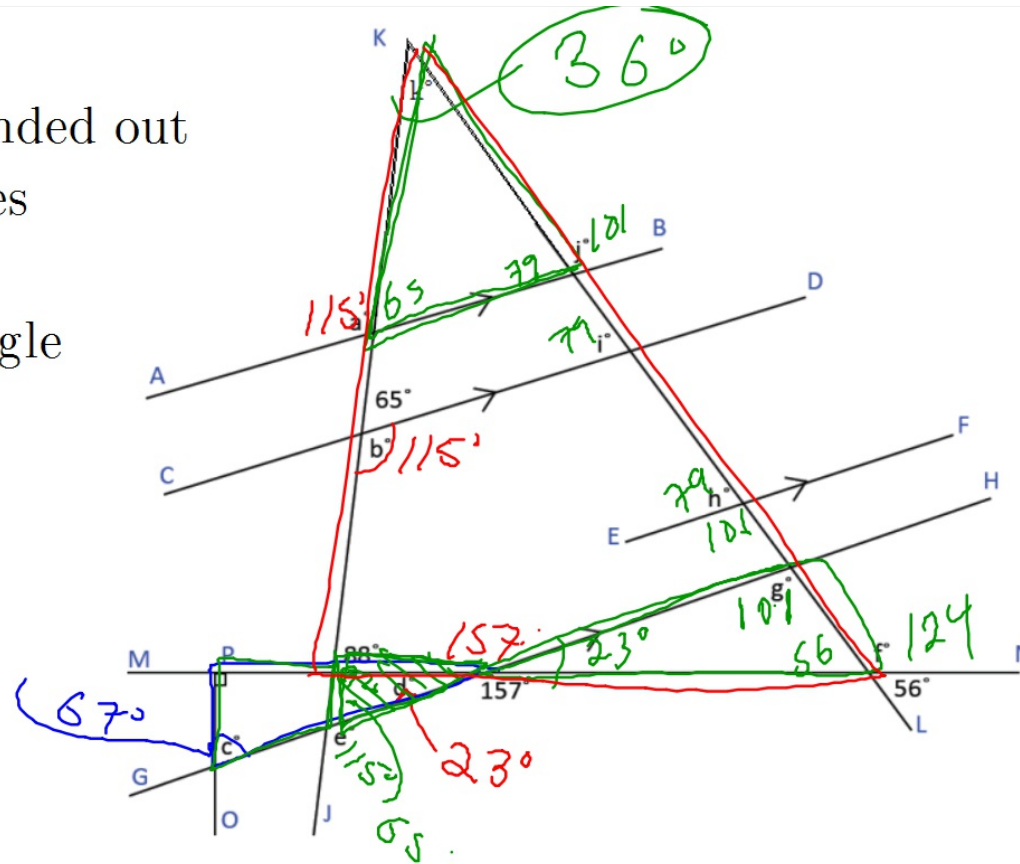


Good afternoon:

warm up is being handed out
attach it to your notes

find the indicated angle
measures

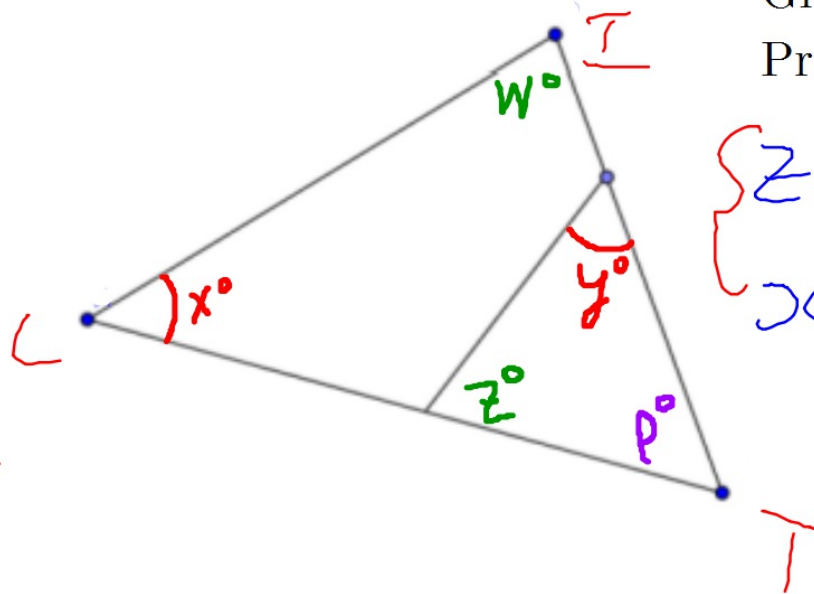
Note: j is NOT 115°



Reminders: can reassess in DS tomorrow Q1 ends 10/6
assessment Monday: simple transformations, proof review

Second warm up! 🔥

(draw the triangle in your notes)



Given: $x=y$

Prove: $w=z$

$$\begin{cases} z + y + p = 180^\circ & (\Delta \text{'s make } 180^\circ) \\ x + w + p = 180^\circ & (\Delta \text{'s make } 180^\circ) \end{cases}$$

$$z + y + p = x + w + p$$

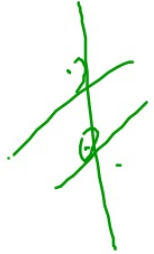


$$\begin{array}{r} \underline{-p} \qquad \qquad \underline{-p} \end{array}$$

$$z + y = x + w$$

$$\begin{array}{r} \underline{-y} \qquad \underline{-y} \end{array}$$

$$z = w$$

Q.E.D.



Similar problems will be on Monday's
assessment! (CO-A2a and CO-A5a)

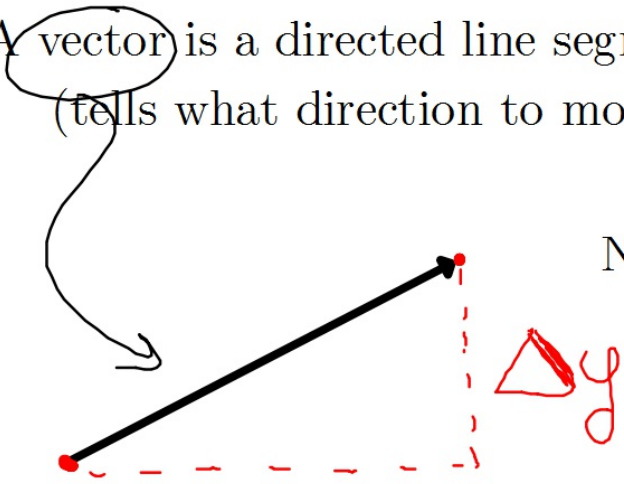
Along with basics of proof (CO-C9a)
and line proofs (CO-C9b)

Translations + Vectors

(notes)

Vectors a fundamental part of translations, physics, algebra, and higher math

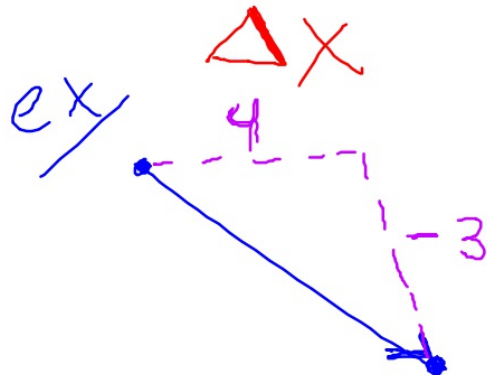
A vector is a directed line segment that indicates direction AND magnitude
(tells what direction to move and how far)



Notations:

$$\begin{bmatrix} \Delta x \\ \Delta y \end{bmatrix}$$

$$\langle \Delta x, \Delta y \rangle$$



$$\begin{bmatrix} 4 \\ -3 \end{bmatrix}$$

$$\langle 4, -3 \rangle$$

Different Representations:

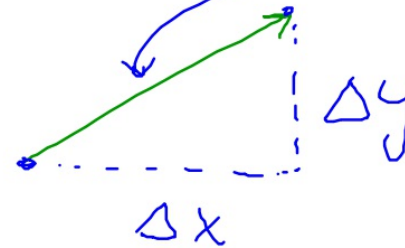
Arrow: $(x,y) \rightarrow (\underline{x-4}, y+2)$

Verbal: : go left 4,
4 p 2!

Vector: $\begin{bmatrix} -4 \\ 2 \end{bmatrix}$

$\langle -4, 2 \rangle$

Calculate the magnitude
of the vector:



$$m^2 = (\Delta x)^2 + (\Delta y)^2$$

$$m^2 = (-4)^2 + (-2)^2$$

$$m^2 = 16 + 4$$

$$\sqrt{m^2} = \sqrt{20}$$

$$m = \sqrt{20} \approx \underline{\underline{4.47}}$$

Basics of Vector Graphics Programming

Work on Task 1 for the first 15 minutes

Check in with your table, coach anyone who needs help

Your answers for Task 1 will vary since the transformation is up to you

Homework:

p. 119 #20-24 [CO-A4a]

hang on to packet!!!

Assessment
Monday: