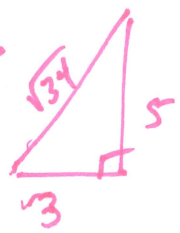
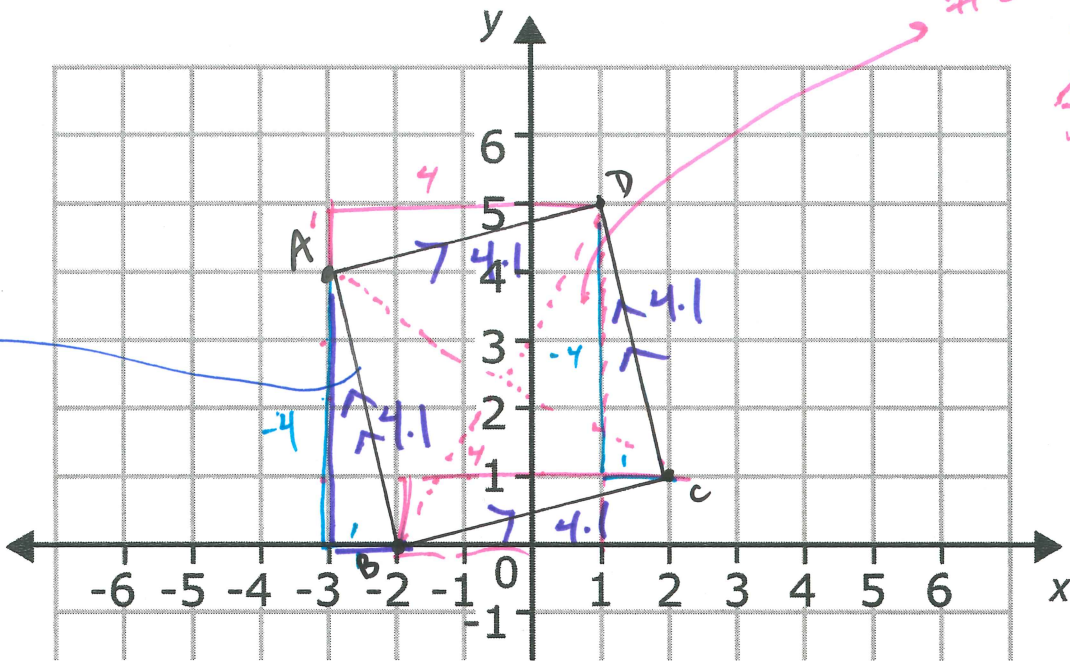


Sols

Classify the quadrilateral formed by the points A(-3,4) B(-2,0) C(2,1) and D(1,5).



1. Is ABCD a parallelogram? Justify your answer with numbers.

Show slope of AD = slope of BC  $\rightarrow \frac{\text{rise}}{\text{run}} = \frac{1}{4} = \frac{1}{4} \rightarrow \overline{AD} \parallel \overline{BC}$

" AB = " DC  
 $\frac{\text{rise}}{\text{run}} = \frac{-4}{1} = \frac{-4}{1} \rightarrow \overline{AB} \parallel \overline{DC}$

yes, ABCD is a parallelogram.  
 all sides are parallel.  
 (same slope)

2. Is ABCD a rectangle? Justify your answer with numbers.

2A Show sides slopes are  $\perp$   
 $m_{AD} = \frac{1}{4}$   $m_{BC} = \frac{-4}{1}$

2B Show that diagonals are  $\cong$

Use Pythag. to find length of  $\overline{AC}$  ;  $\overline{BD}$ .  
 $\overline{AC} : \sqrt{34} = \overline{BD} : \sqrt{34}$

opp. reciprocal, so  $\perp$ . Therefore, ABCD is a rectangle.

3. Is ABCD a rhombus? Justify your answer with numbers.

either show all sides  $\cong$  or show diagonals slopes  $\perp$ .

Distance:

$\overline{AB} : 1^2 + 4^2 = c^2$   $\overline{BC} : \sqrt{17} \approx 4.1$   
 $17 = c^2$   $\overline{CD} : \sqrt{17} \approx 4.1$   
 $\sqrt{17} = c \approx 4.1$   $\overline{AD} : \sqrt{17} \approx 4.1$

$\Rightarrow$  All 4 sides  $\cong$   
 therefore ABCD is a rhombus.

4. What is the most specific name for ABCD? Explain.

ABCD is a SQUARE, it meets the criteria for a parallelogram (#1), rectangle (#2), and rhombus (#3).

CO-C11a

5. CDEB is a parallelogram. Find the measure of  $\angle E$

Opp  $\angle$ 's consecutive  
 $\cong$  )  $\angle$ 's = 180°

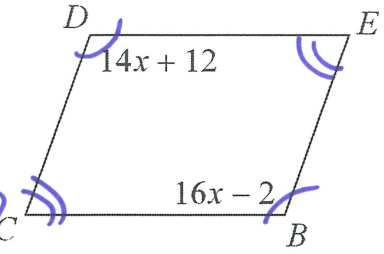
$$14x + 12 = 16x - 2$$

$$14 = 2x$$

$$7 = x \rightarrow \text{plug in}$$

$$\angle B = 16(7) - 2 = 110^\circ$$

$$\angle E = 180 - 110 = 70^\circ$$



6. ABCD is a parallelogram with diagonals crossing at O. Suppose  $DB = 6x + 12$  and  $DO = 2x + 8$ . Find the length of  $OB$ .

Diagonals bisect each other

$$DB = DO + OB$$

$$6x + 12 = 2x + 8 + 2x + 8$$

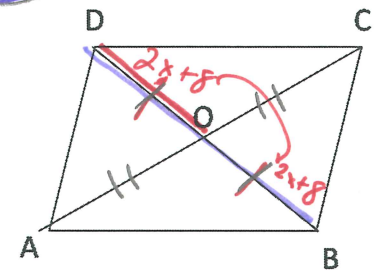
$$6x + 12 = 4x + 16$$

$$2x = 4$$

$$x = 2$$

$$OB \cong DO$$

$$2(2) + 8 = 4 + 8 = 12$$

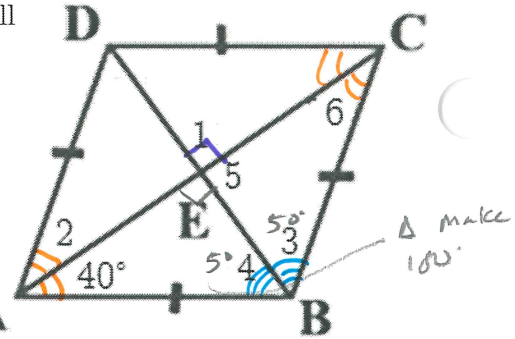


CO-C11b

7. ABCD is a rhombus. Match the equal values in the lists below. Not all the measures will be used, and some are used more than once.

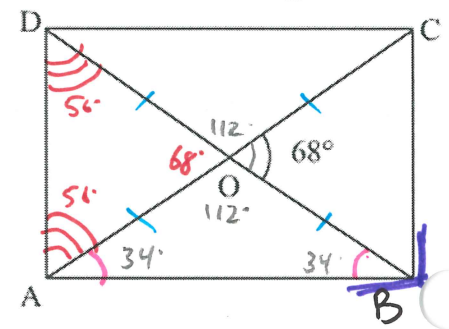
- | Angles | Measures |
|--------|----------|
| 1      | 40°      |
| 2      | 50°      |
| 3      | 30°      |
| 4      | 45°      |
| 5      | 90°      |
| 6      | 60°      |

Rhombus diagonals:  
 $\rightarrow \perp$   
 $\rightarrow$  angle bisectors



8. ABCD is a rectangle with diagonals crossing at O. Find measures of:

$\angle CAB = 34^\circ$        $\angle BDA = 56^\circ$        $\angle ABC = 90^\circ$



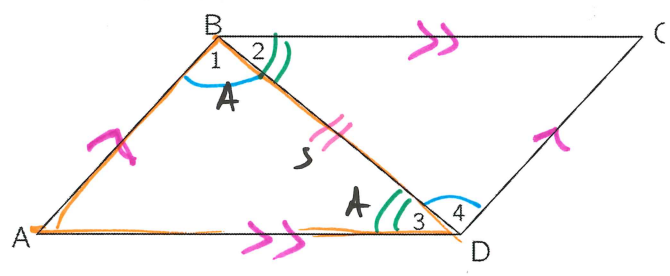
SRT-B5b

9. Complete the proof using the choices provided. Use as many steps as needed.

GIVEN:  $\overline{AB} \parallel \overline{CD}$  and  $\overline{BC} \parallel \overline{DA}$       PROVE:  $\overline{AB} \cong \overline{CD}$

Statements	Reasons
1. $\overline{AB} \parallel \overline{CD}$ and $\overline{BC} \parallel \overline{DA}$	1. Given
2. $\overline{BD} \cong \overline{BD}$	2. Reflexive Prop.
3. $\angle 1 \cong \angle 4, \angle 2 \cong \angle 3$	3. Alt. Int. Angles
4. $\triangle ABD \cong \triangle CDB$	4. ASA
5. $\overline{AB} \cong \overline{CD}$	5. CPCTC

MARK THE GIVEN!



Q.E.D.

Statement and Reason Choices, feel free to ignore (some are distractors)

- |   |   |                                     |                                     |                           |    |     |                    |
|---|---|-------------------------------------|-------------------------------------|---------------------------|----|-----|--------------------|
| Vertical Angles   | Alternate Interior Angles                               | ASA                                 | AAS                                 | SSS                       | HL | SAS | Reflexive Property |
| $\angle 1 \cong \angle 2$ and $\angle 3 \cong \angle 4$ | $\angle 1 \cong \angle 4$ and $\angle 2 \cong \angle 3$ | Def of bisect                       | $\overline{DB} \cong \overline{BD}$ | $\angle A \cong \angle C$ |    |     |                    |
| $\overline{AB} \cong \overline{CD}$                     | $\triangle ABD \cong \triangle CDB$                     | $\triangle BDA \cong \triangle BDC$ | CPCTC                               |                           |    |     |                    |