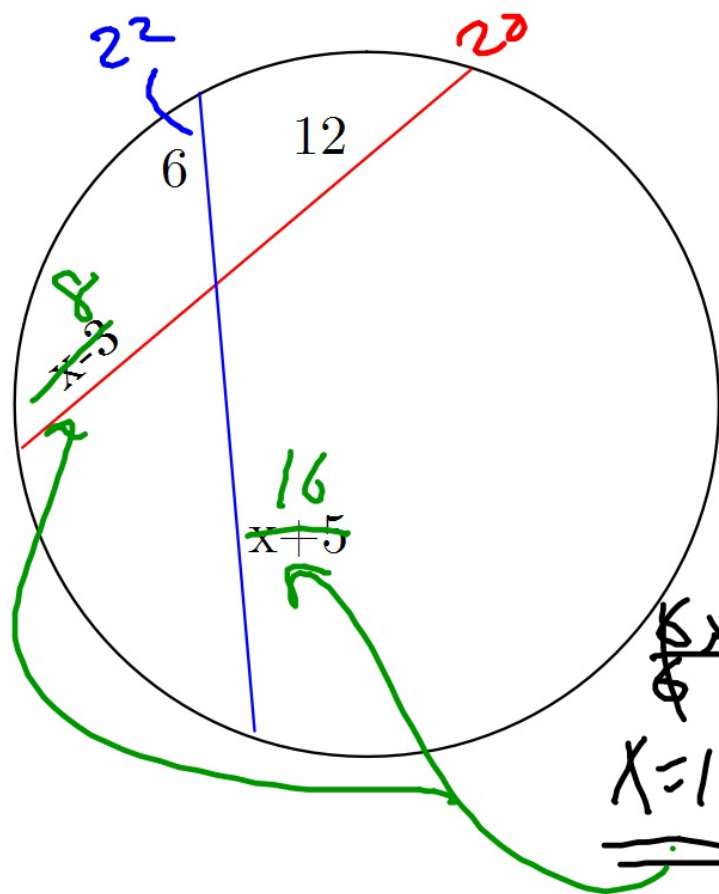
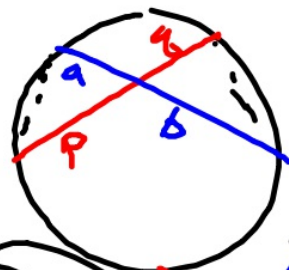


Good afternoon: warm up in notebooks



Are these chords the same length?



$$a \cdot b = p \cdot q$$

$$12(x-3) = 6(x+5)$$

$$\begin{array}{r} 12x - 36 = 6x + 30 \\ -6x + 36 \quad -6x + 36 \\ \hline 6x = 66 \end{array}$$

$$\frac{6x}{6} = \frac{66}{6}$$

$$\underline{\underline{x=11}}$$

Reminders:

- Q3 ends a week from Thursday
- Last Q3 assess: Tuesday 3/14
- Tutoring tomorrow 4-5p
- DS retakes: Tues/Wed/Fri (NOT THURS)

## Upcoming calendar

Today: more chords, arc length, radian measure; HW: Practice Assessment, Project

Thursday 3/9: District Benchmark Test (computer lab) HW: Practice Assess, Project

Tuesday 3/14: Assessment on circle topics/~~review~~, time to work on project  
Project ideas due on this day

Thursday 3/16: Reassessment Day, project work time

## Project Resources

CHANGES: surface area is being dropped from requirements - \_

Finalized rubric will be passed out on Thursday

What do you notice? What do you wonder?





## Arc Length (notes)

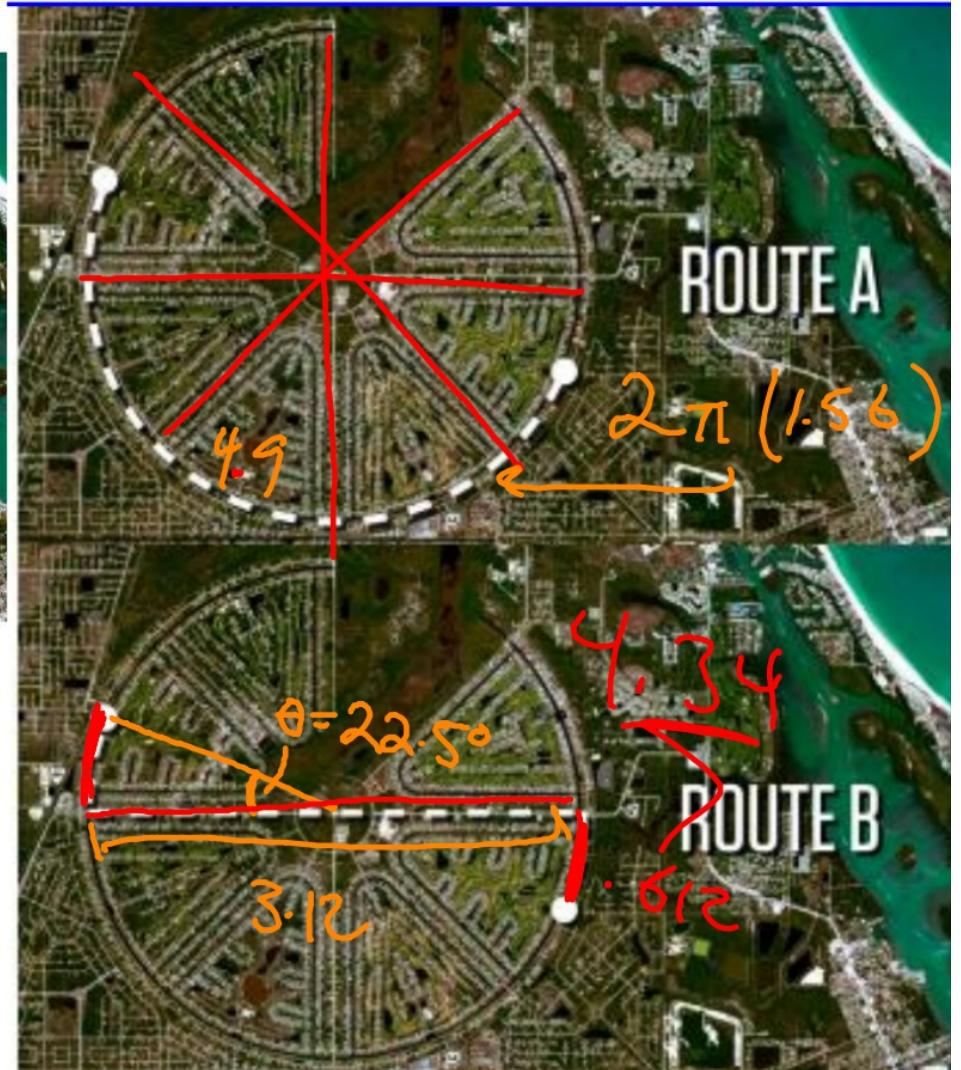
What questions does this raise?



Which route is faster? Write down your guess.







$$\frac{\theta}{360} \cdot 2\pi r$$

$$\frac{22.5^\circ}{360^\circ} \cdot 2\pi(1.56) \approx \underline{0.612}$$

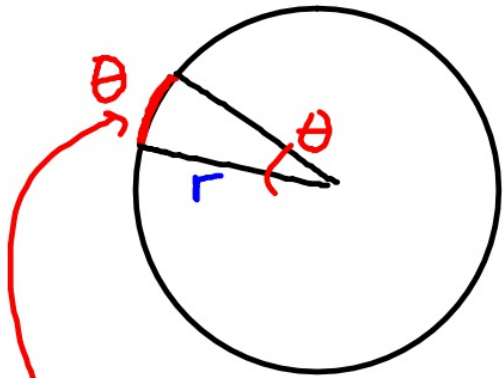
Find which route is faster

Answer:

<http://www.101qs.com/3059-rotonda-west-fl>

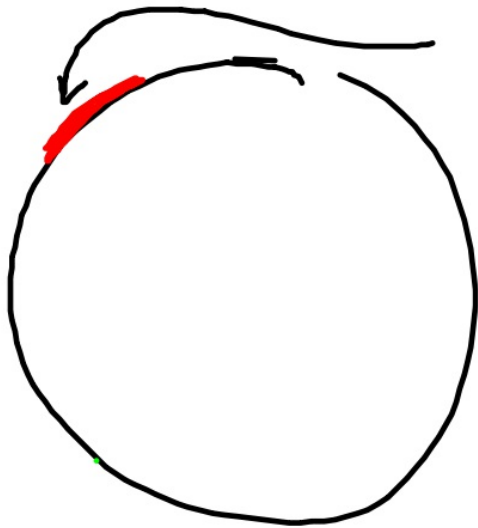


A formula for arc length:



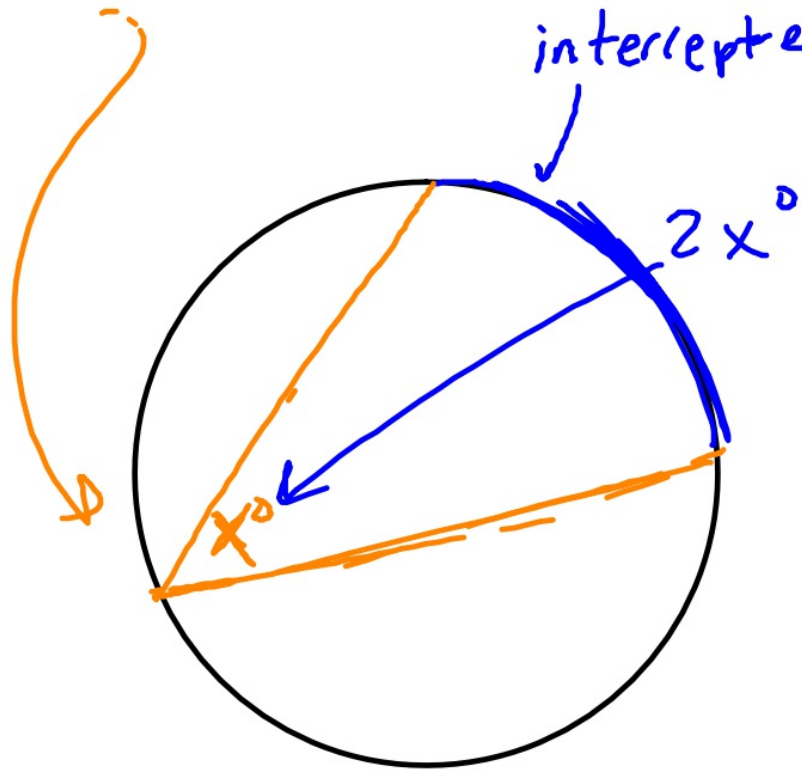
$$\text{Length of arc} = \frac{\theta}{360^\circ} \cdot 2\pi \cdot r$$

## Arc MEASURE vs Arc LENGTH



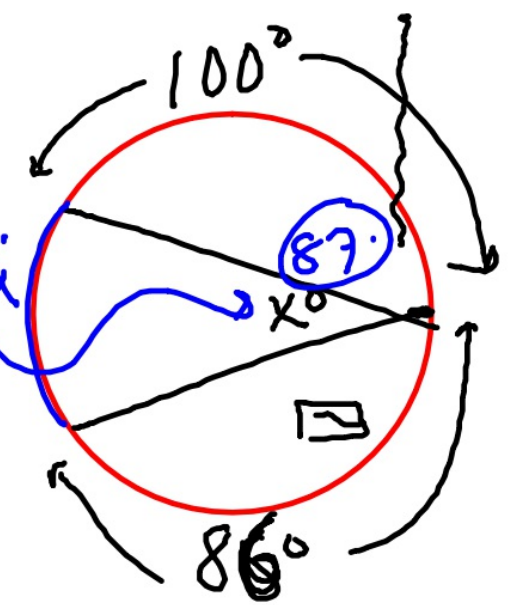
two ways to describe this:  
→ degrees of curvature  
→ length

# Inscribed Angle vs Arc Measure

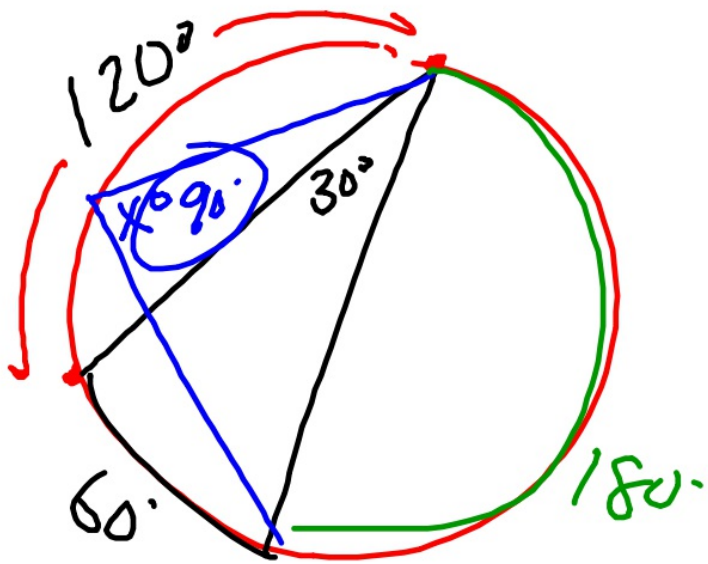


ex

$$\begin{array}{r} 360. \\ - 100. \\ \hline 260. \\ - 88. \\ \hline 172. \end{array}$$

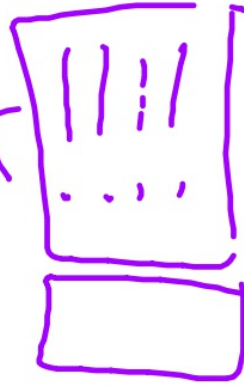






Hw: Complete practice Assess for Tues  
3/14

• WORK ON PROJECT



• Assessment: 3/14